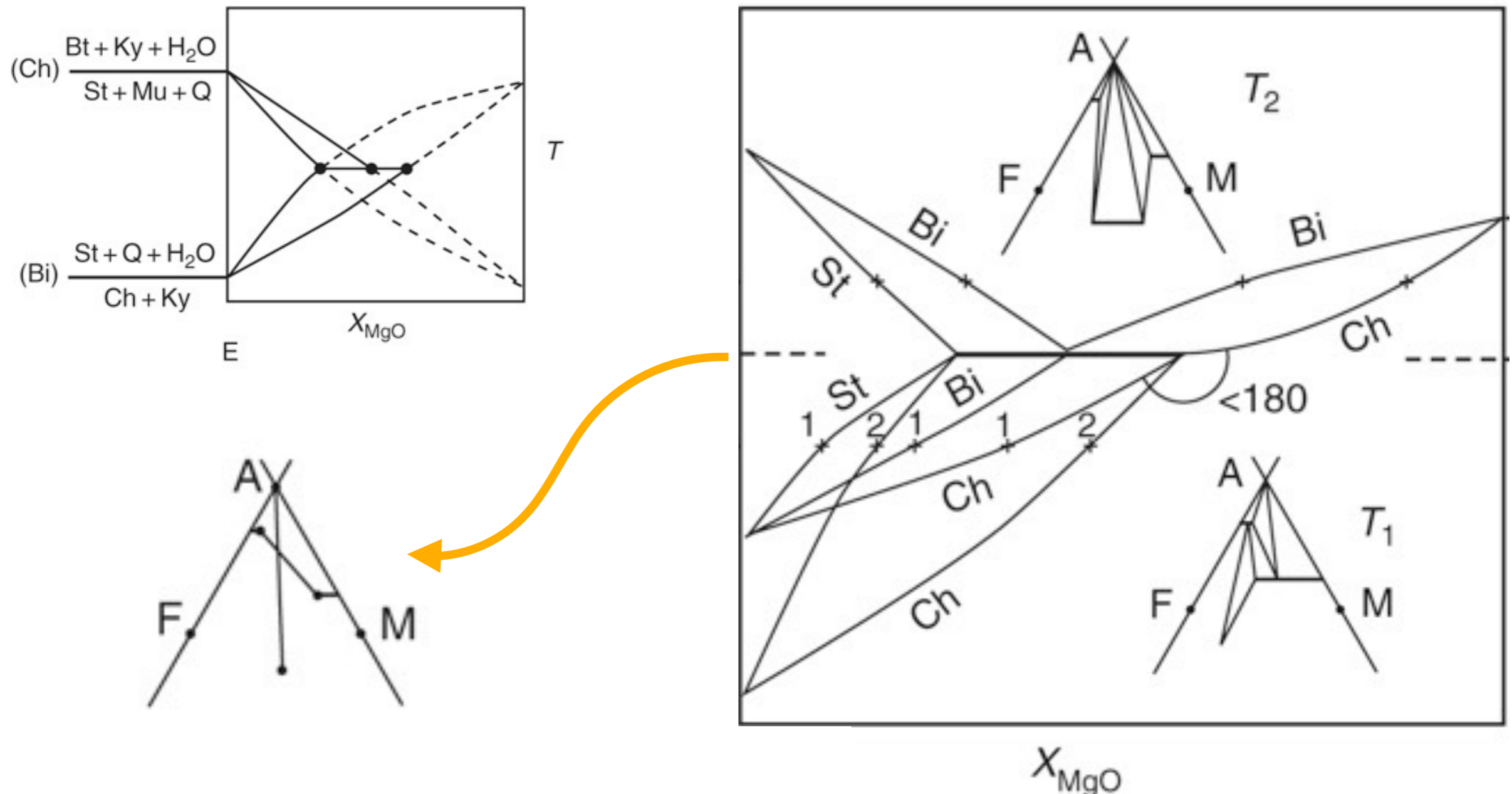
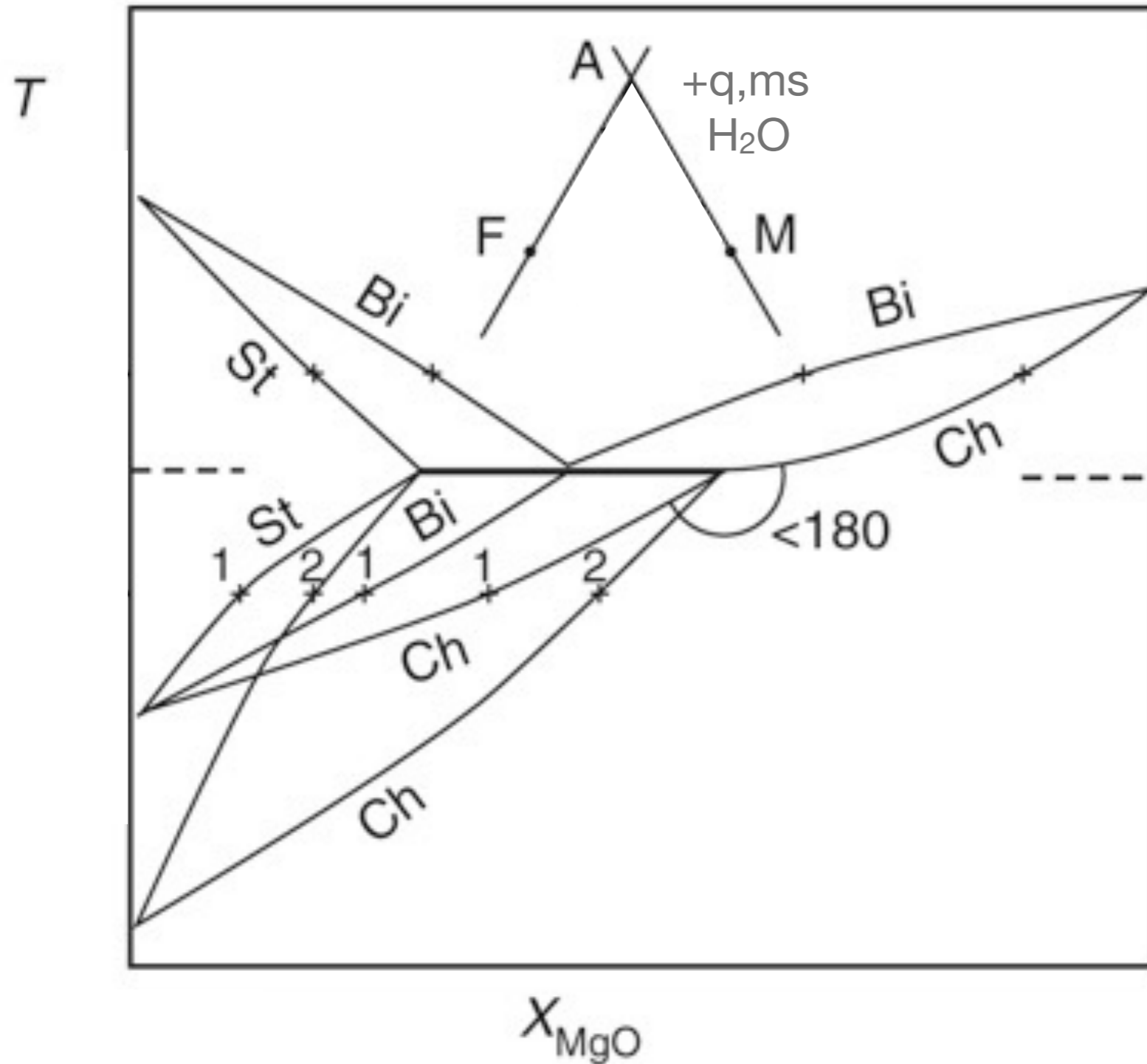


Lecture 11: Mineral reactions and petrogenetic grids

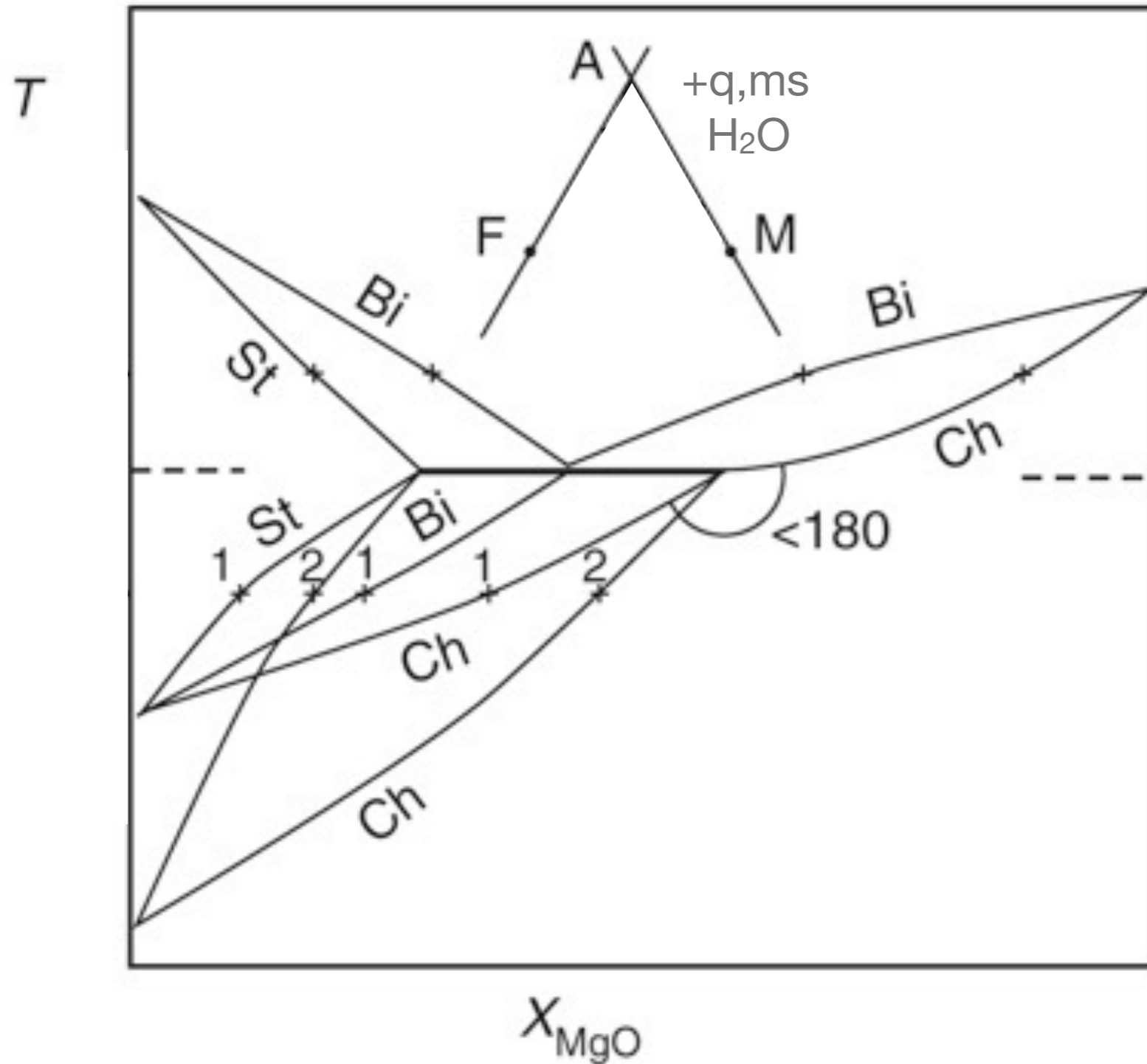
Mineral reactions involve both continuous and discontinuous reactions. Continuous reactions depend on composition (e.g. X_{MgO}) and are a field when plotted in P - T space. Discontinuous reactions are a line in P - T space and make good field isograds.



T versus X_{MgO} diagrams: phase rule

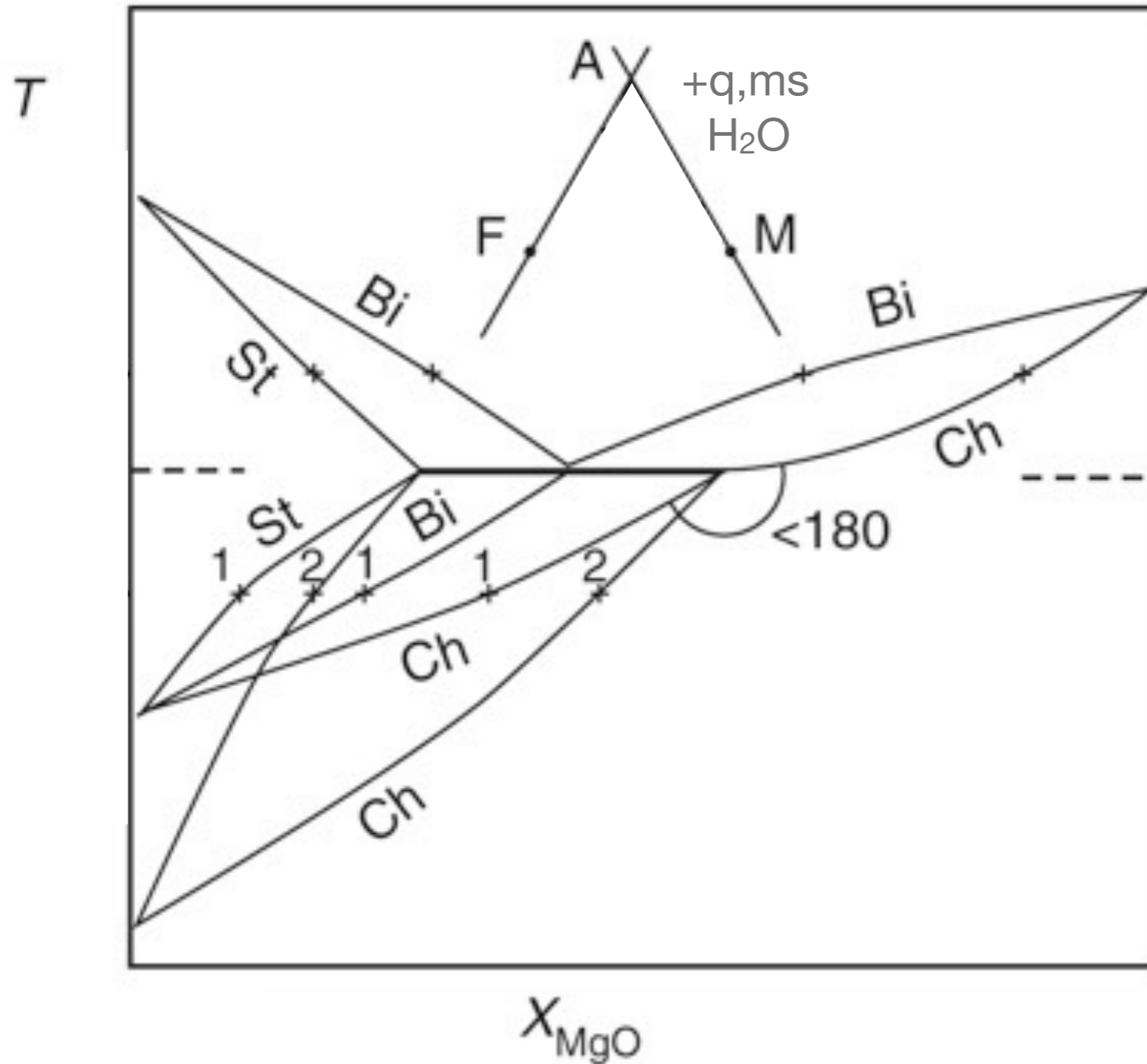


T versus X_{Mg} diagrams: phase rule



$$df = c - f + T + P + i$$

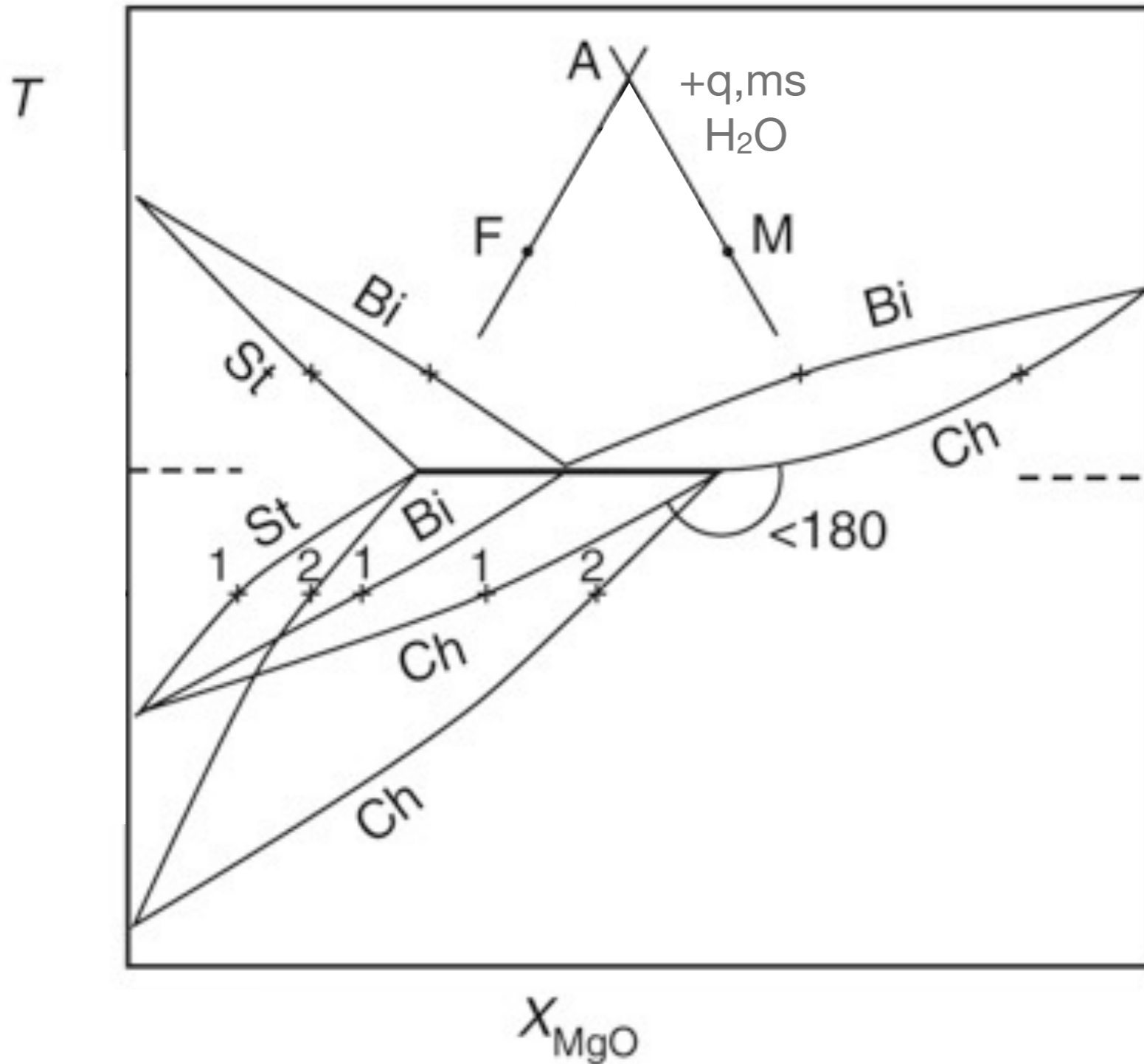
T versus X_{Mg} diagrams: phase rule



$$df = c - f + T + P + i$$

$$P + a_{H_2O} = \text{fixed}, c = 3$$

T versus X_{Mg} diagrams: phase rule

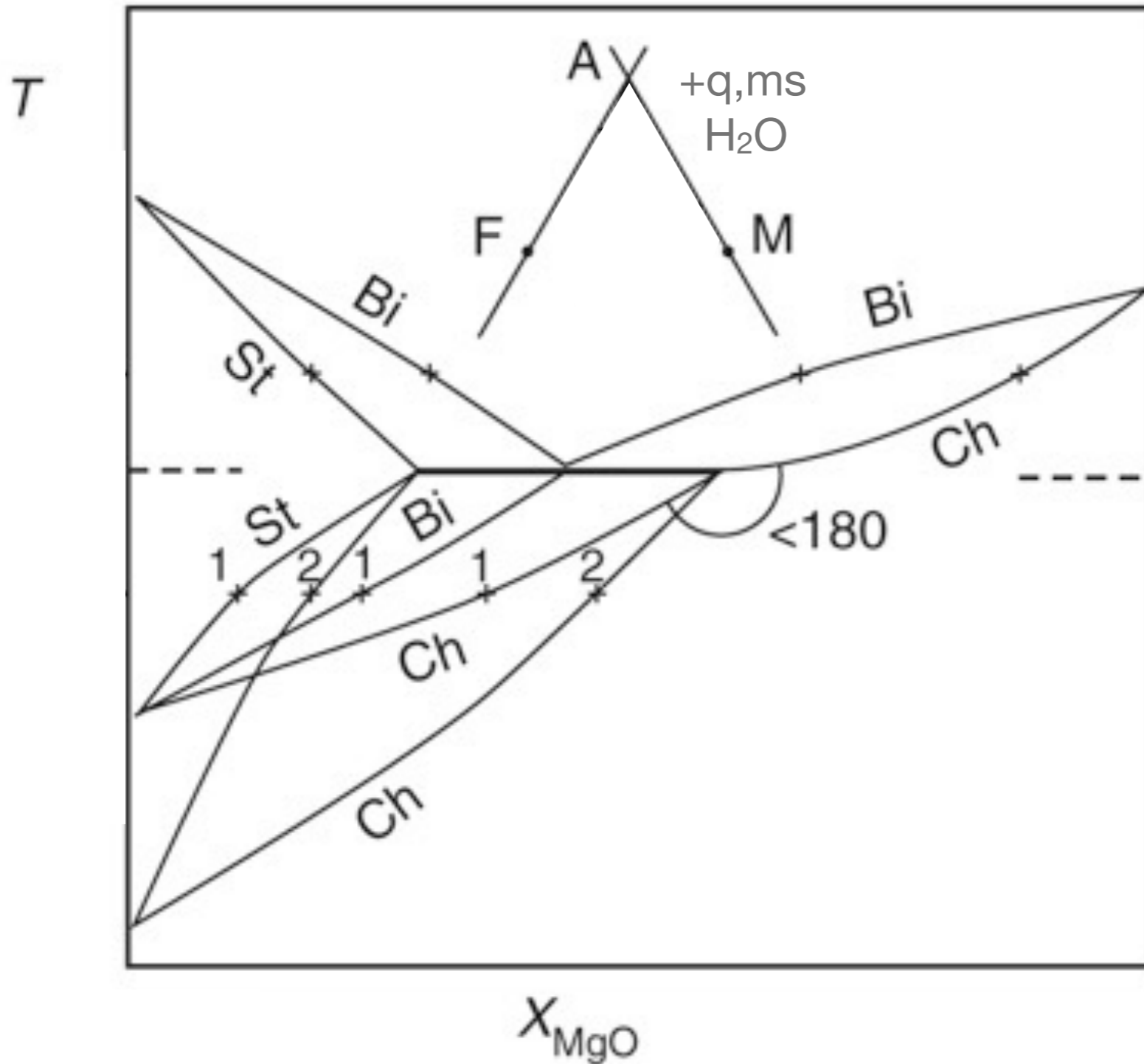


$$df = c - f + T + P + i$$

$$P + a_{H_2O} = \text{fixed}, c = 3$$

$$df = 3 - f + 1$$

T versus X_{Mg} diagrams: phase rule



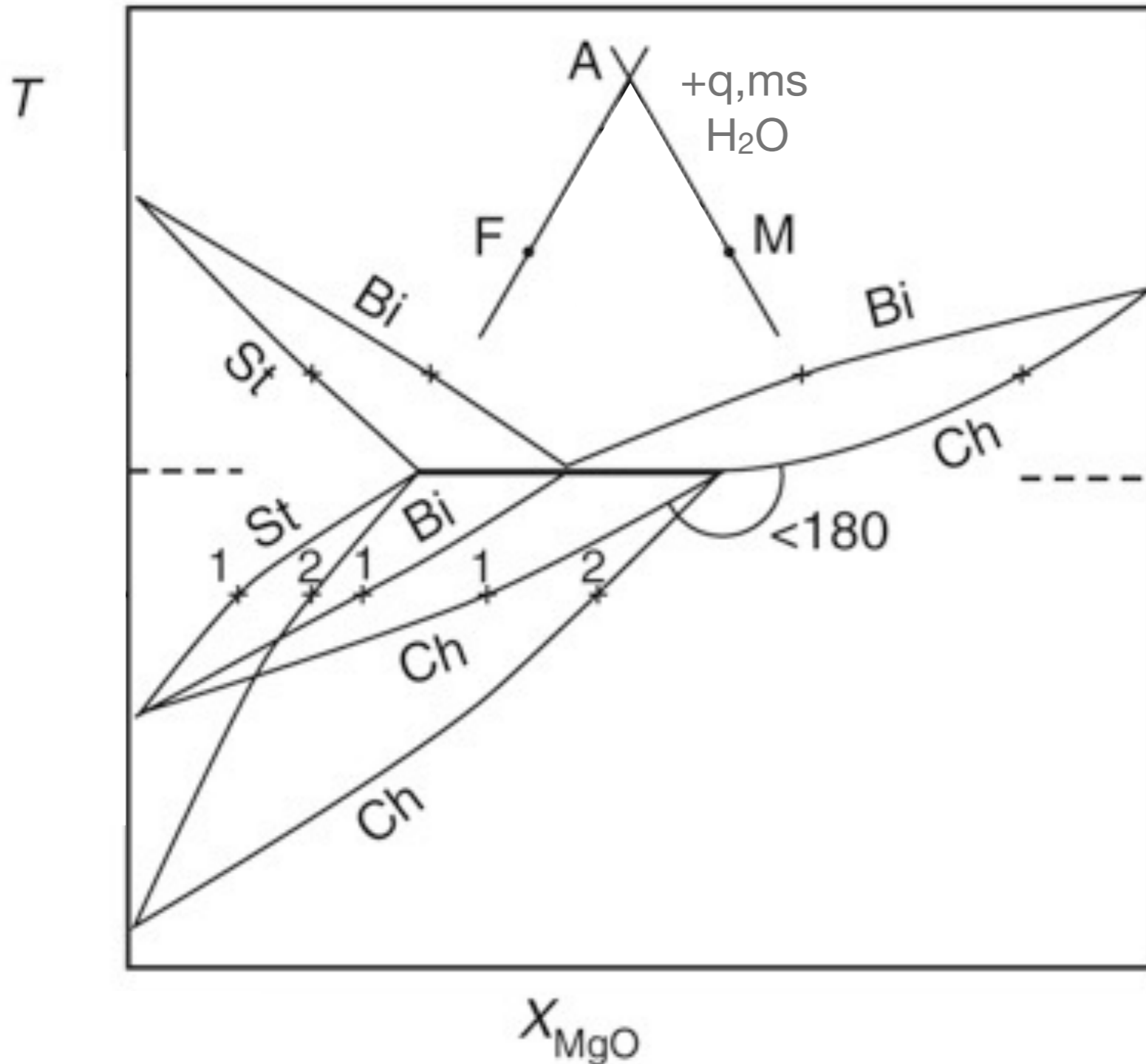
$$df = c - f + T + P + i$$

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T versus X_{Mg} diagrams: phase rule



$$df = c - f + T + P + i$$

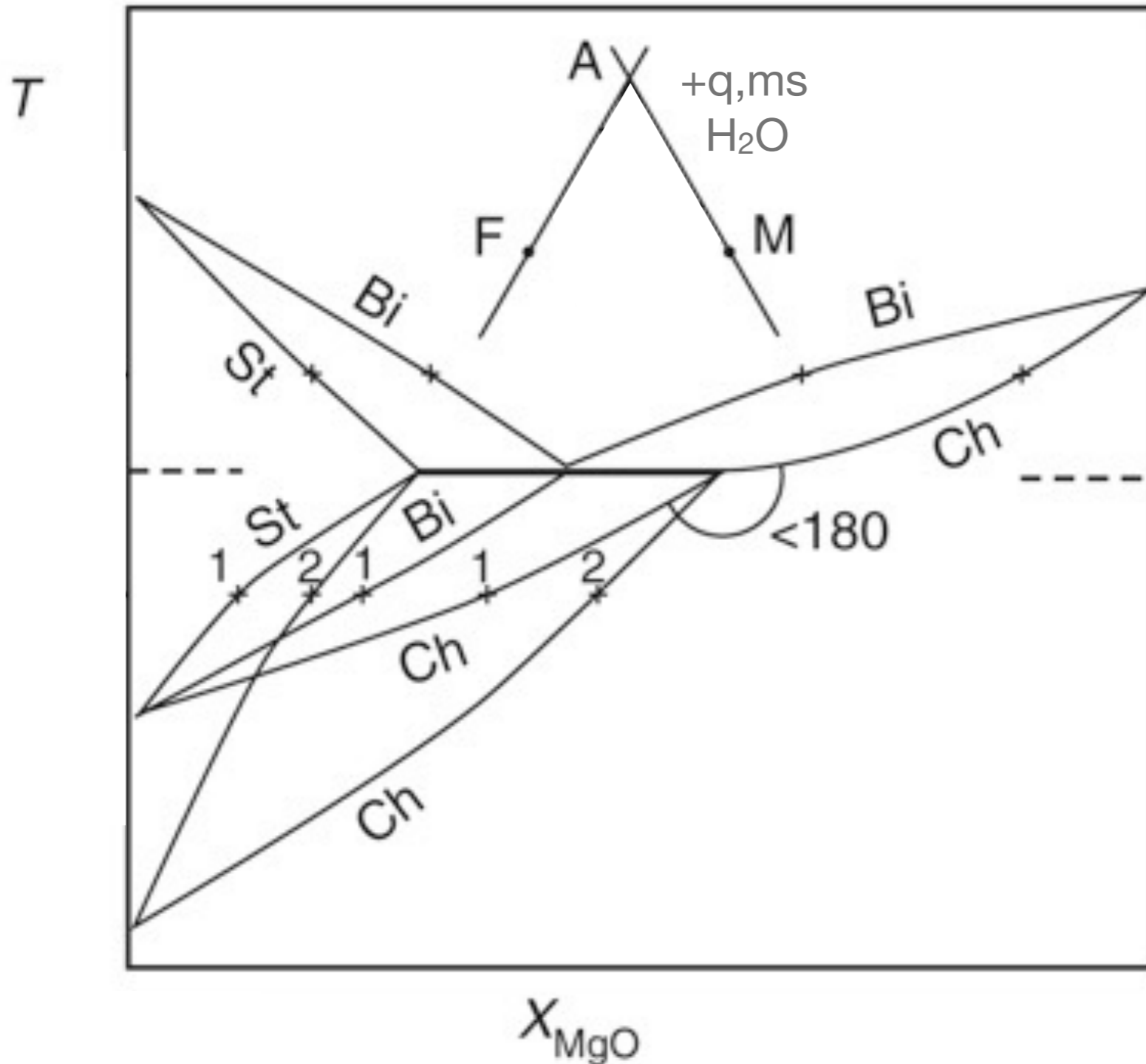
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$$f = 3 \rightarrow df = 1$$

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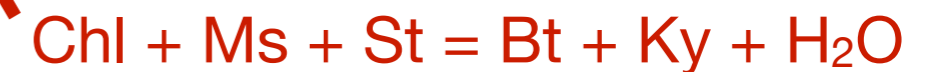
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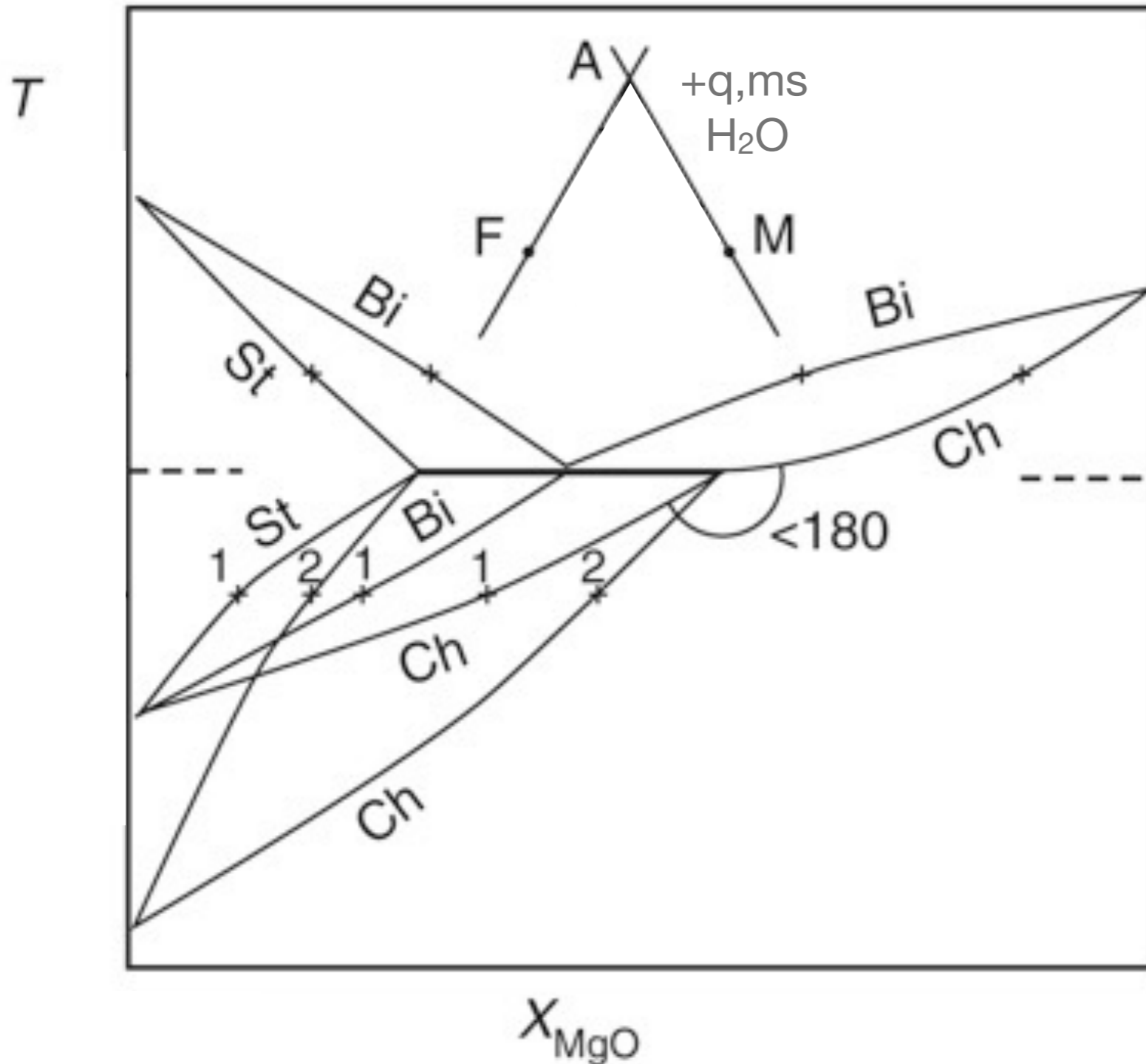
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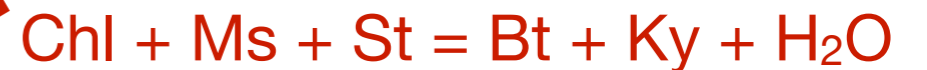
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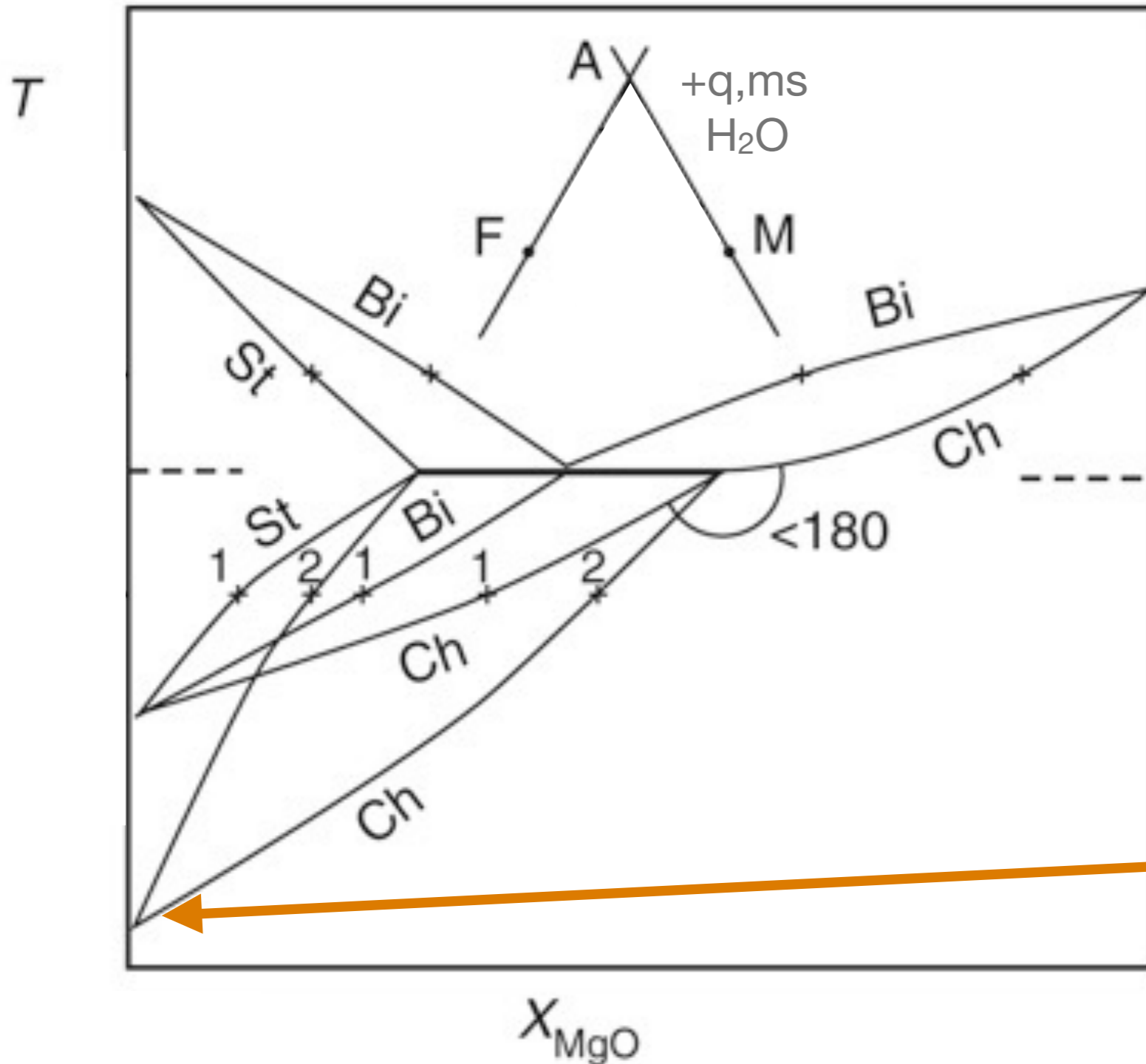


$$f = 3 \rightarrow df = 1$$



$$f = 4 \rightarrow df = 0$$

T versus X_{Mg} diagrams: phase rule



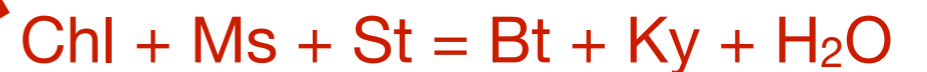
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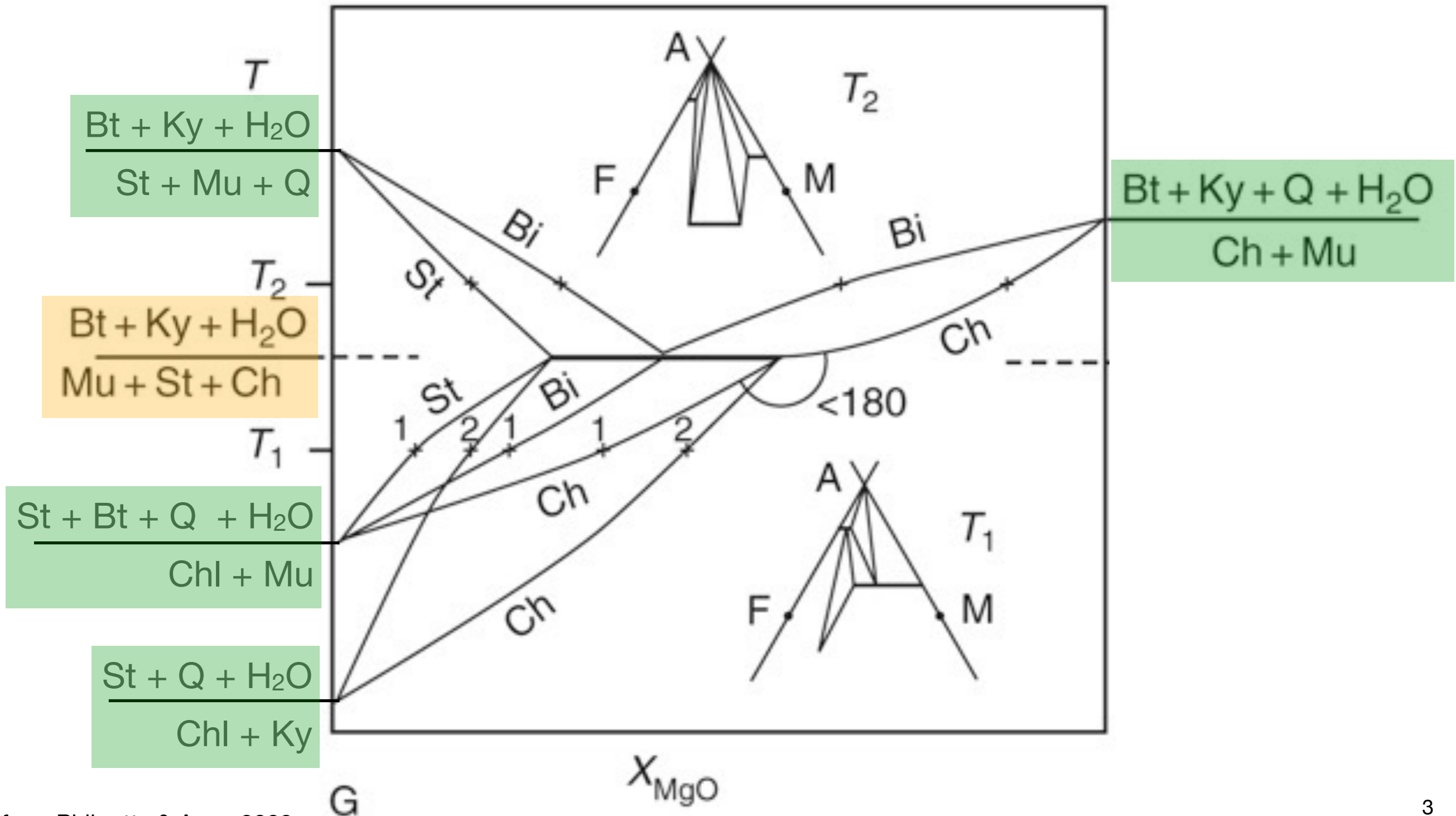
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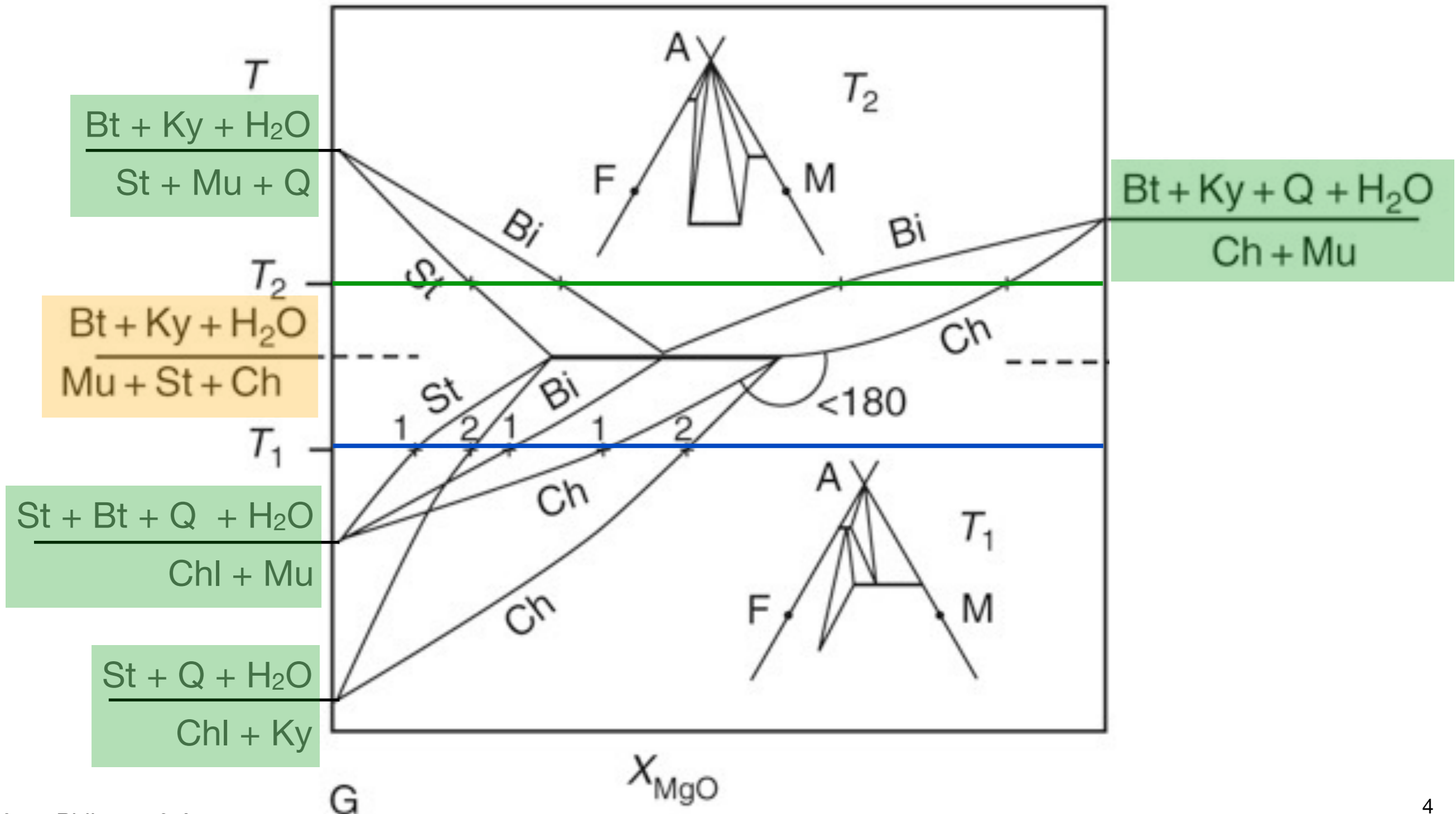
Reading T versus X_{Mg} diagrams

at constant P and projected from A, ms, qtz and fluid



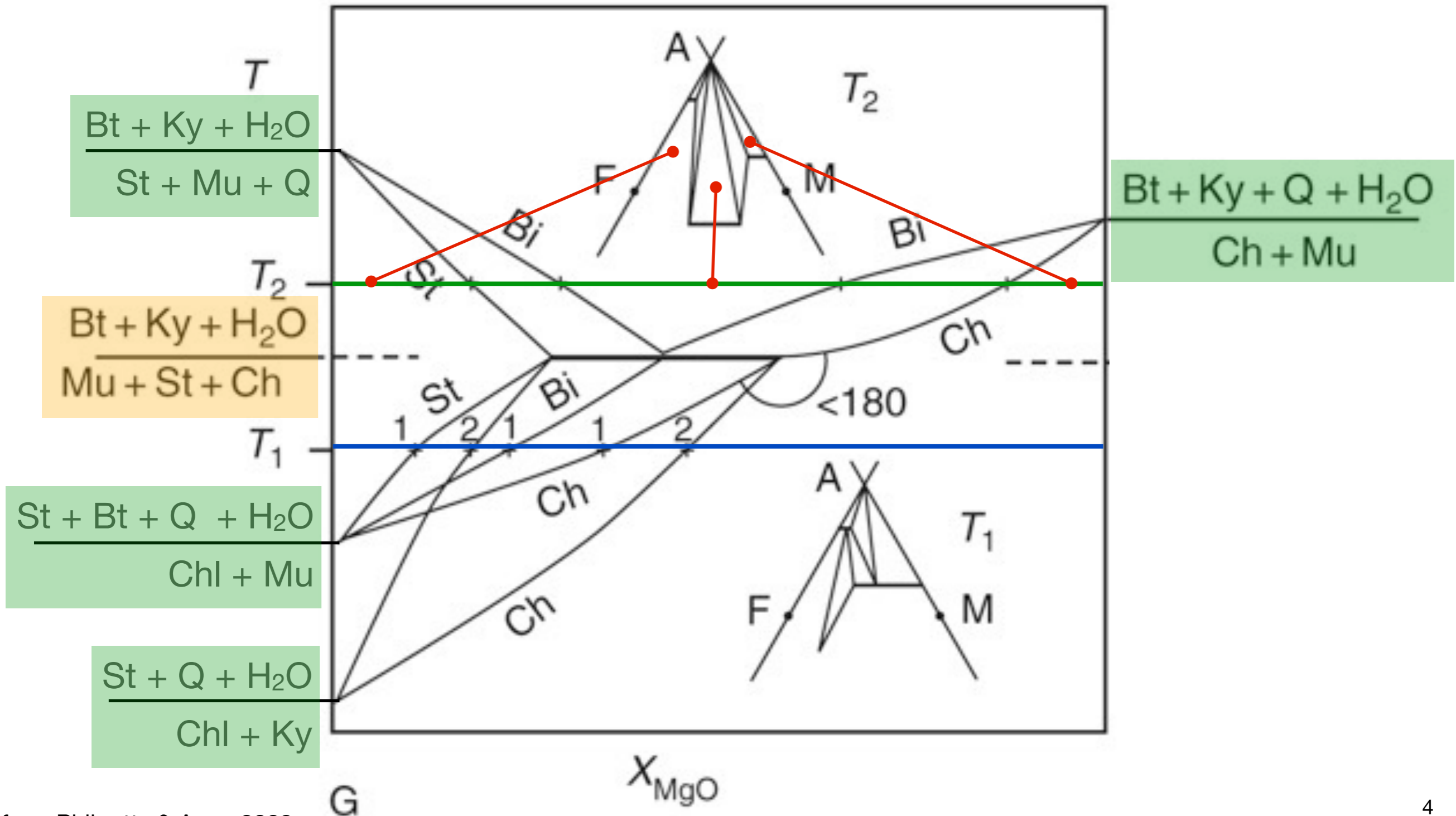
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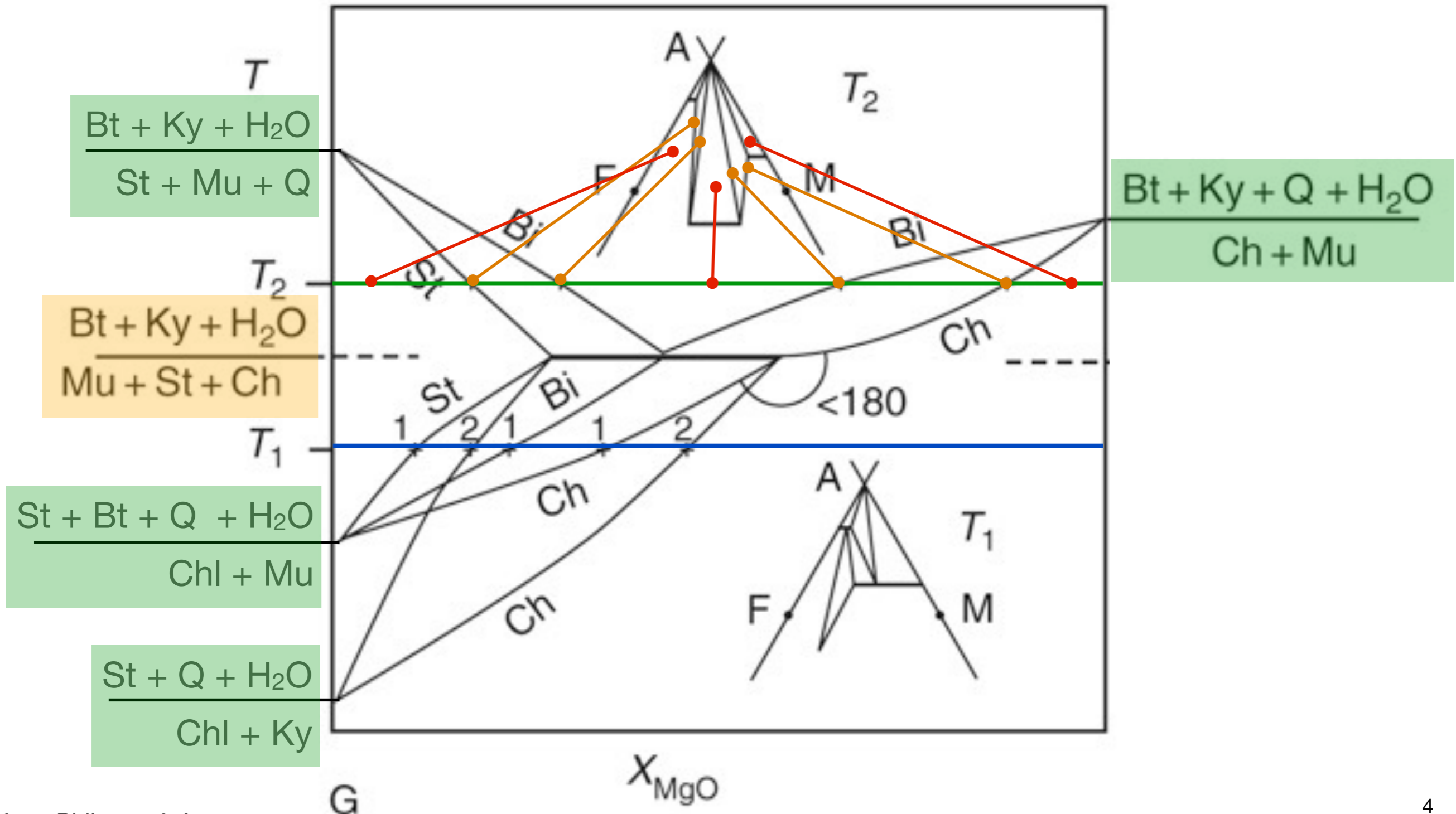
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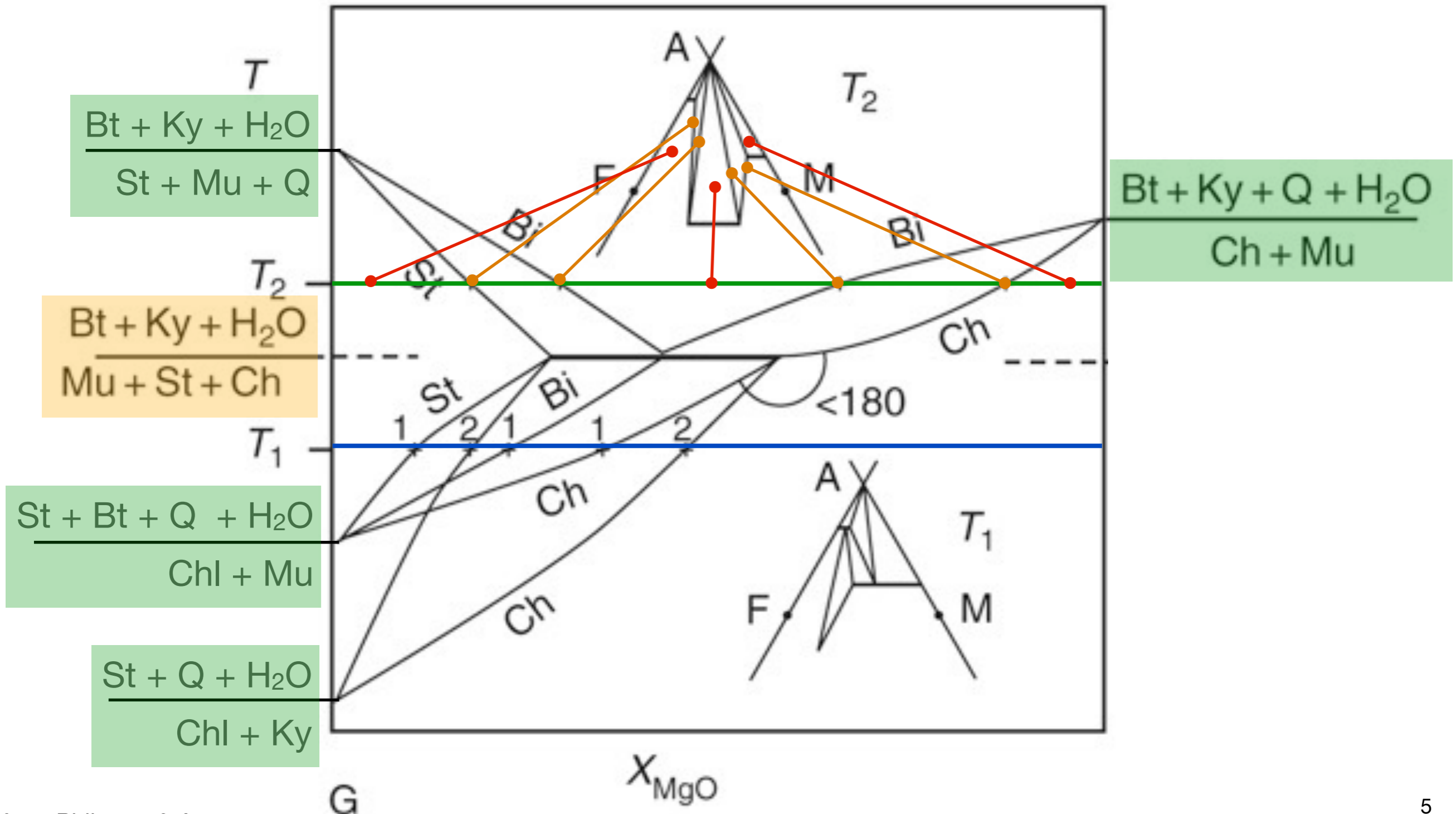
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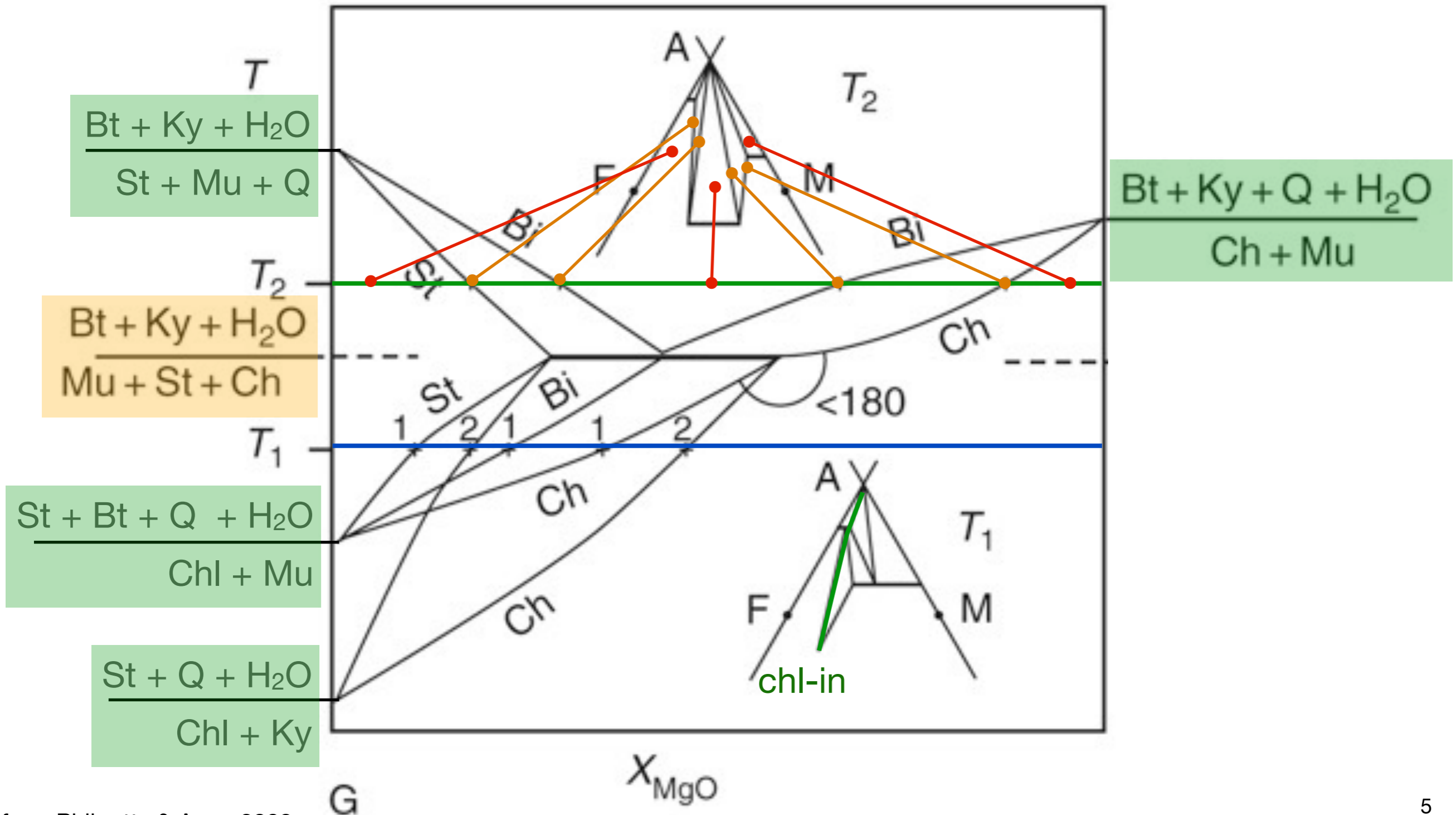
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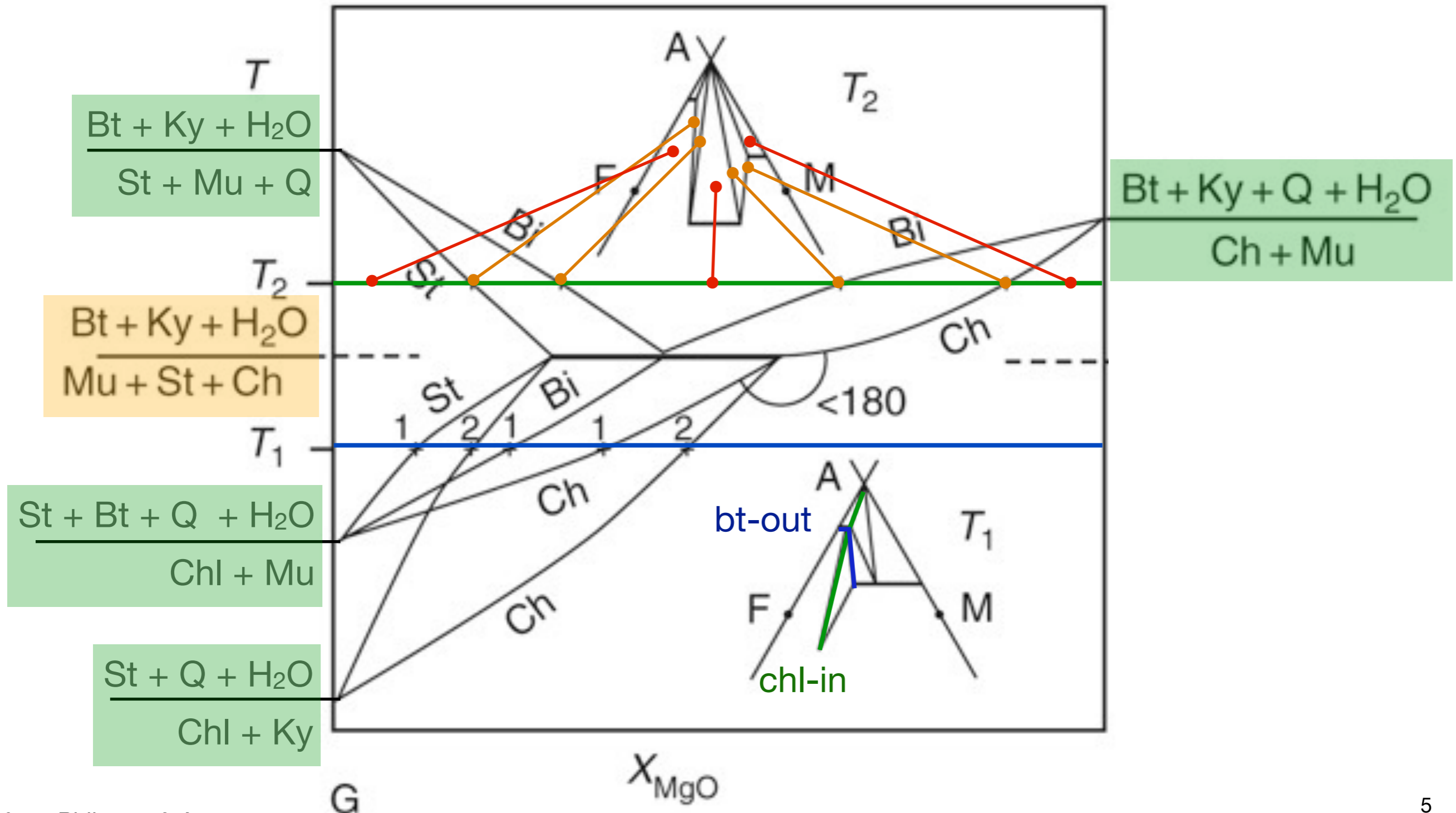
Reading T versus X_{Mg} diagrams

at constant P and projected from A, ms, qtz and fluid



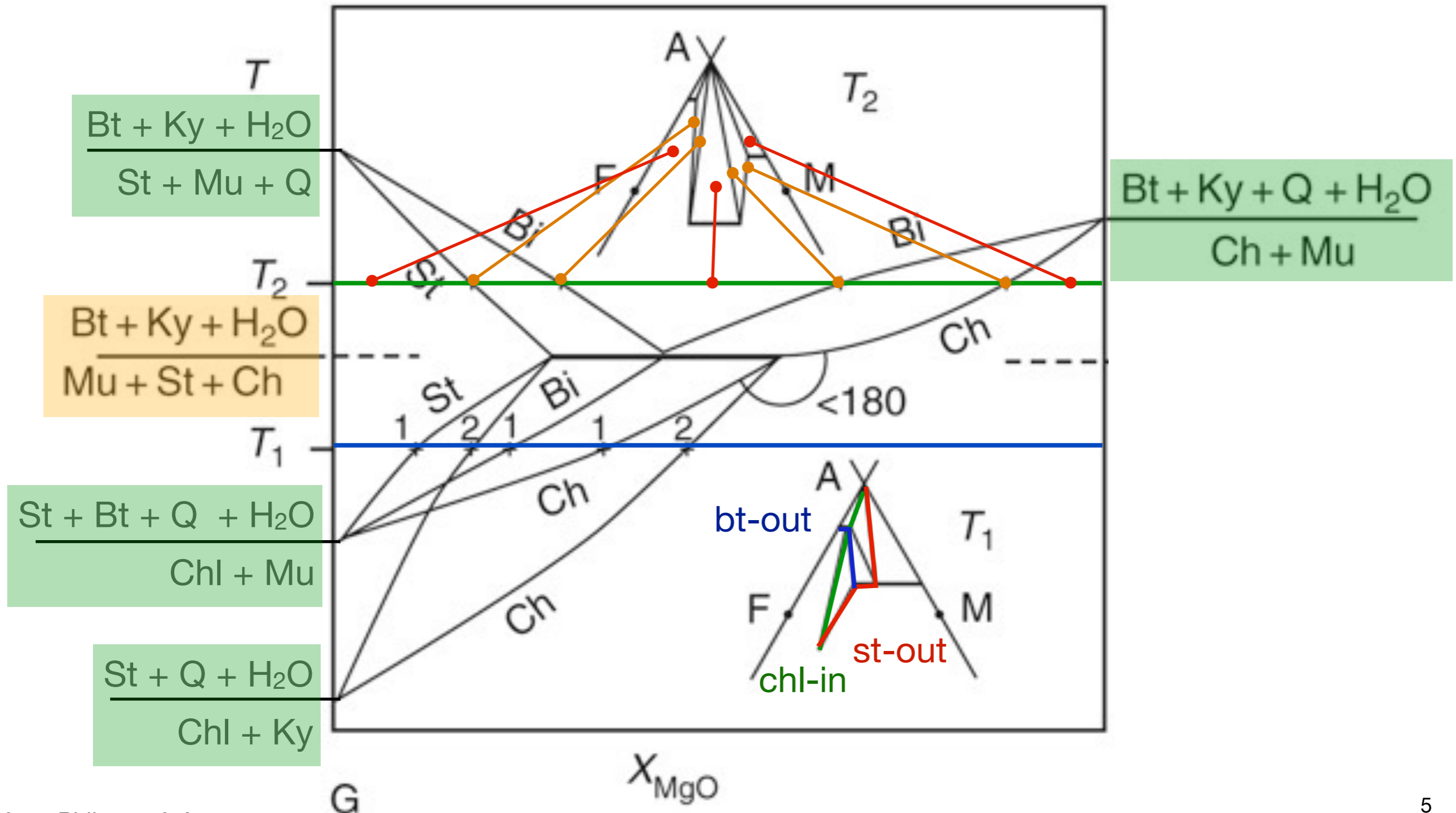
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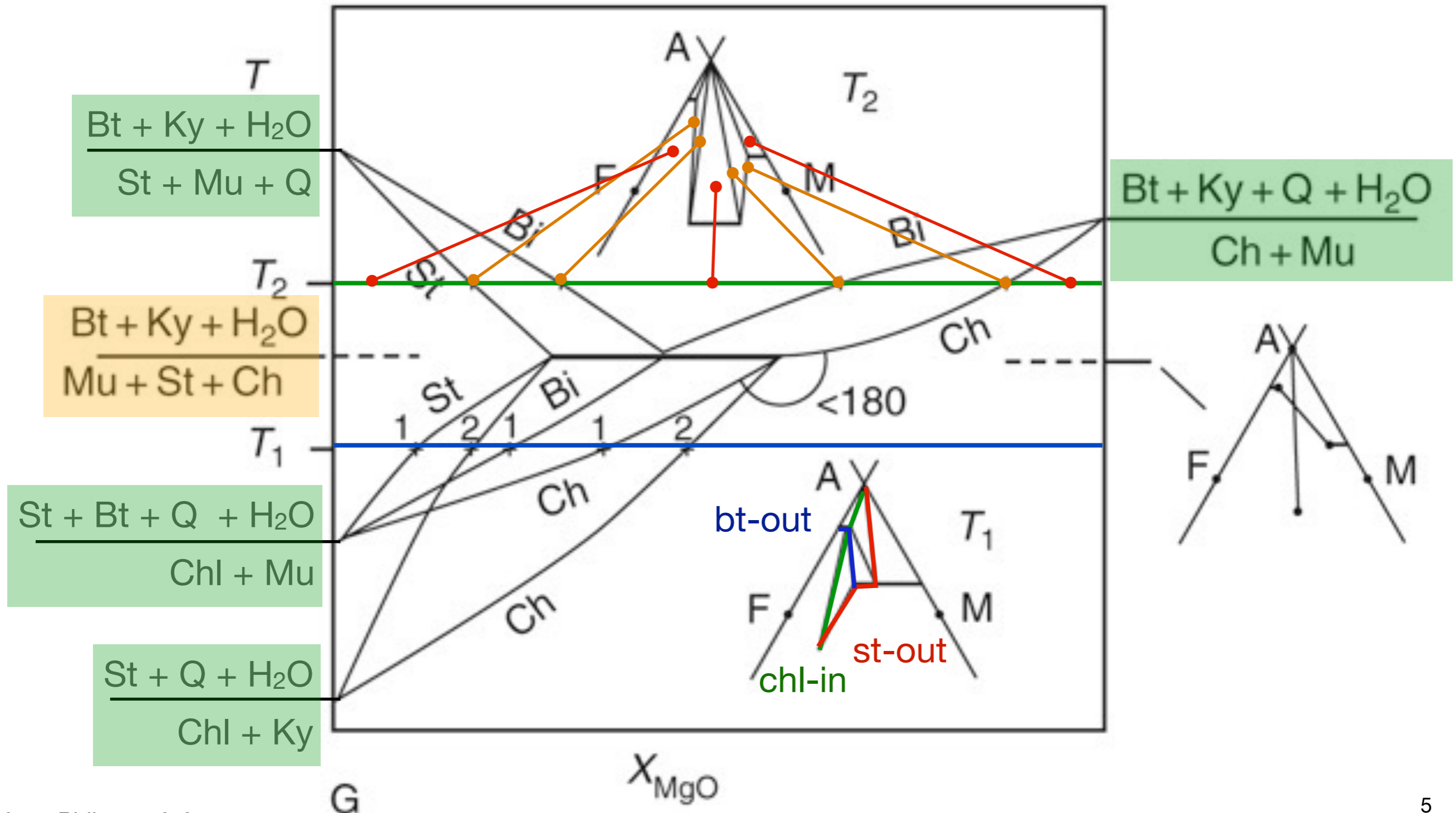
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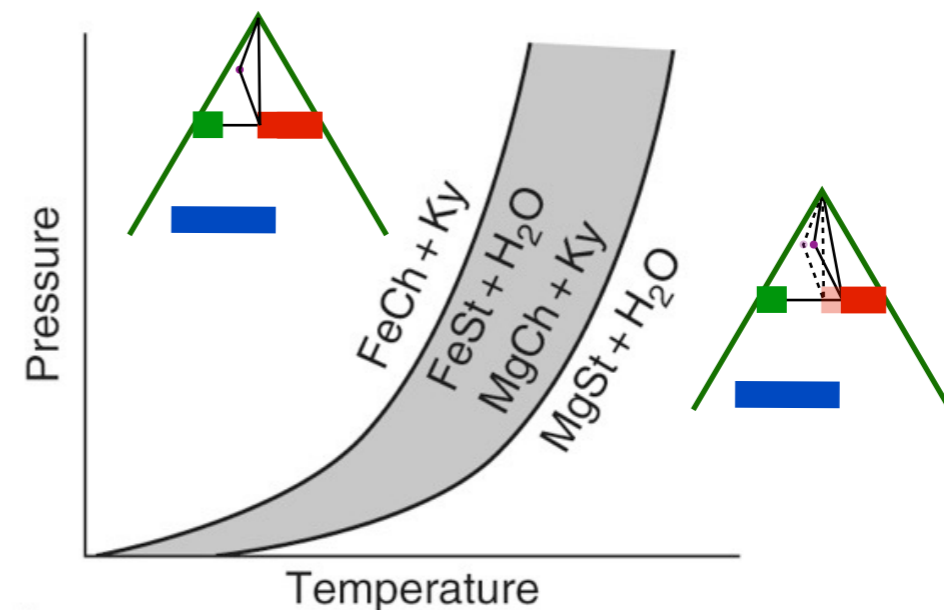
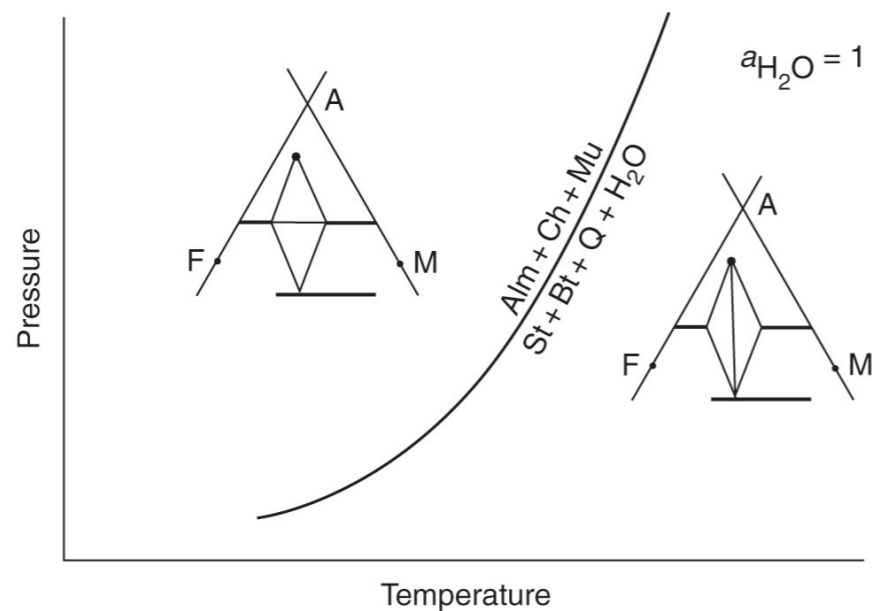
at constant P and projected from A, ms, qtz and fluid



Continuous versus discontinuous reactions

Discontinuous reactions are reactions where one paragenesis changes to another: these are lines in P-T- $a(\text{H}_2\text{O})$ space: **good field isograds**

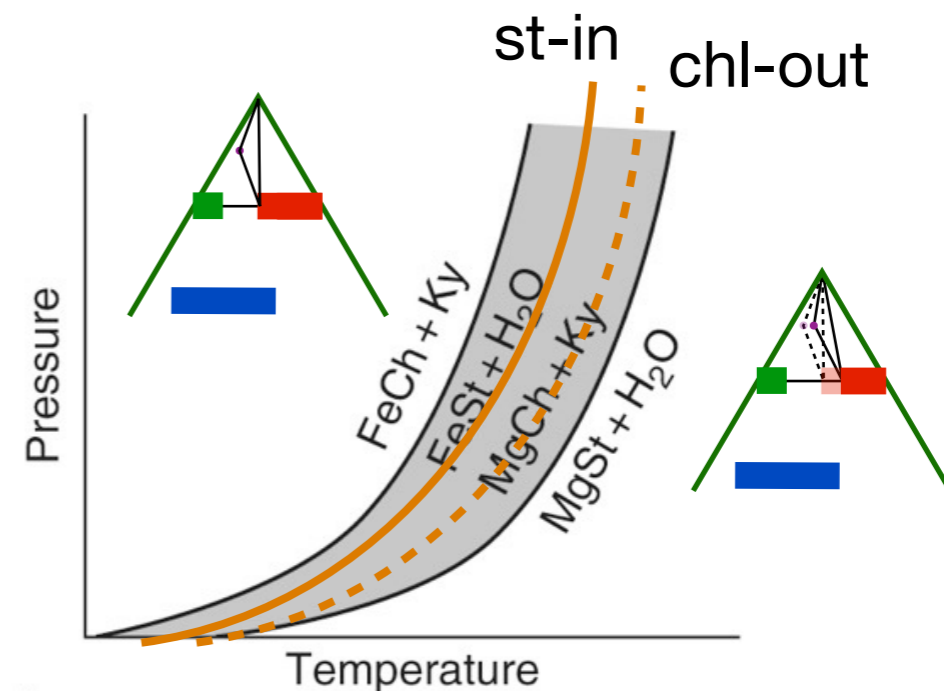
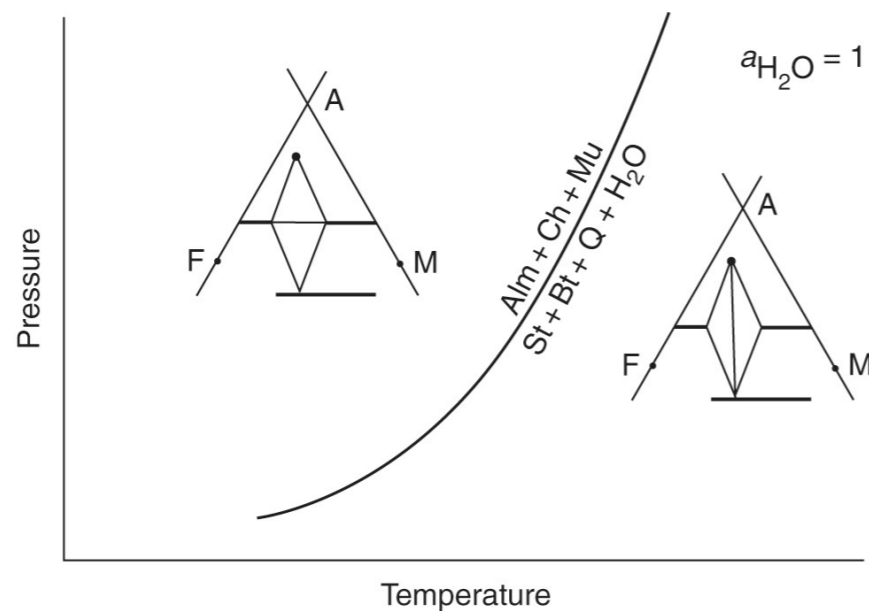
Continuous reactions are reactions where the paragenesis remains the same, but the composition of the phases changes: they are fields in P-T space



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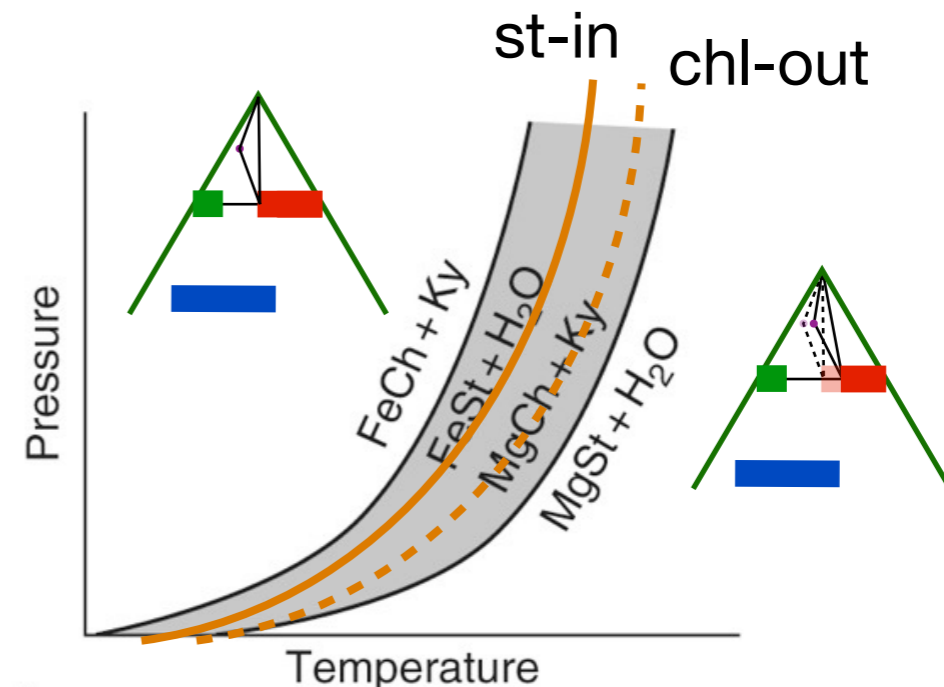
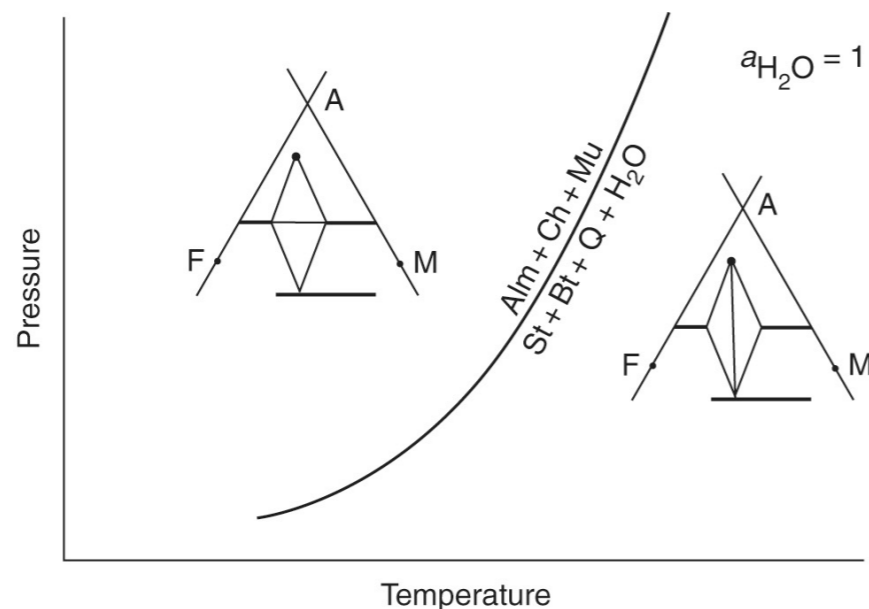
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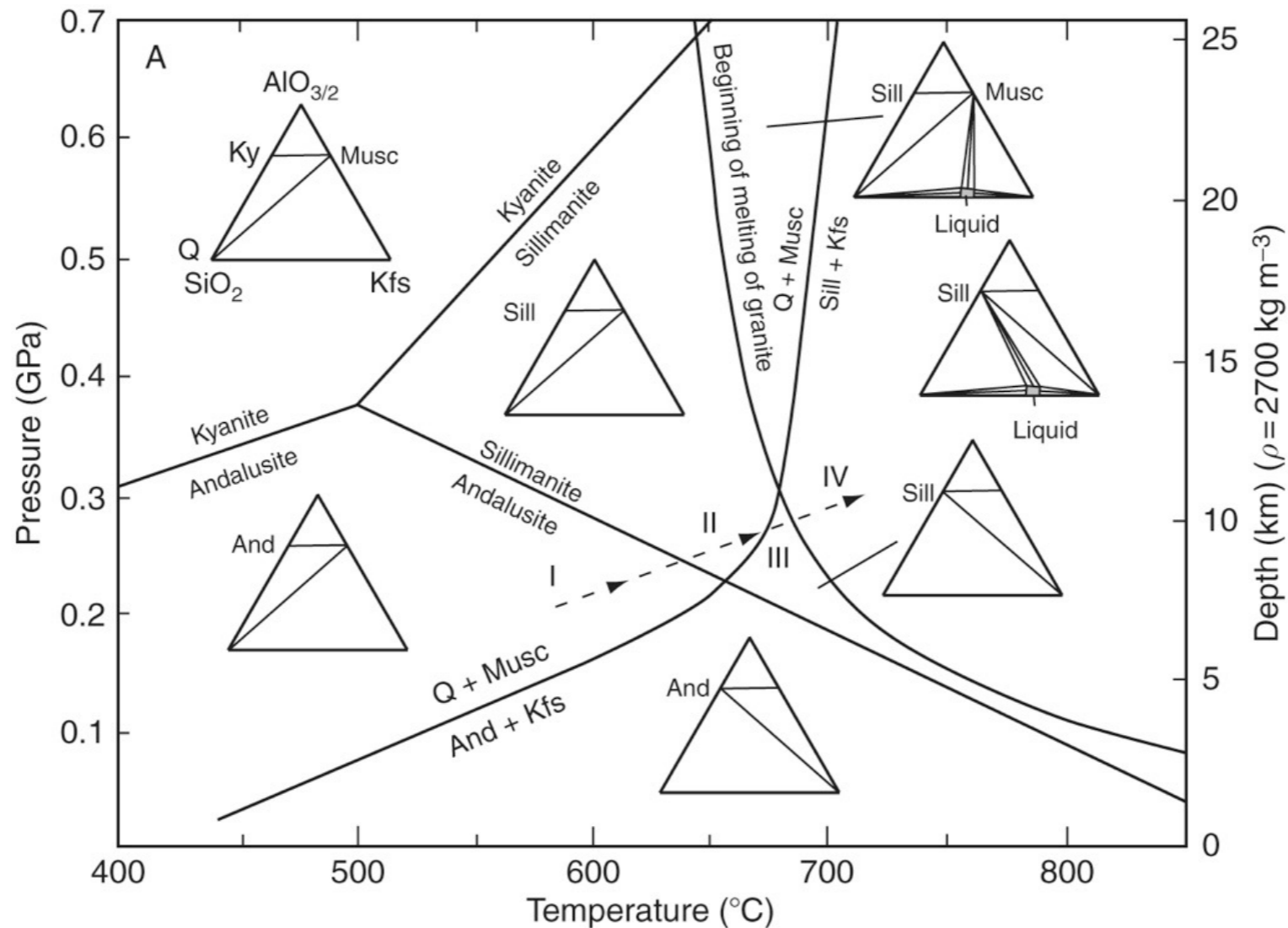


The onset and completion of a continuous reaction depends on the bulk composition

When you fix the bulk composition (pseudosection), these have a fixed position in P-T

Petrogenetic grids

A petrogenetic grid is a network of discontinuous reactions. It splits up P-T space into domains of different mineral parageneses. Continuous reactions can take place within a field and do not result in a change in paragenesis.



Constructing petrogenetic grids

To construct a petrogenetic grid, we need info on the slopes of the reactions and on the arrangement of the reactions around their intersections: **thermodynamics** and **Schreinemaker's rules**

For a reaction $A + B = C + D$, the $\Delta G_r = \Delta H_r - T \cdot \Delta S_r + P \cdot \Delta V_r$

Using the cyclic rule for partial derivatives:

$$\left(\frac{\partial \Delta G}{\partial T} \right)_P \left(\frac{\partial P}{\partial \Delta G} \right)_T \left(\frac{\partial T}{\partial P} \right)_{\Delta G} = -1$$

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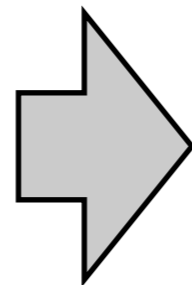
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$$\left(\frac{\partial P}{\partial T} \right) = \frac{\Delta S_r}{\Delta V_r}$$

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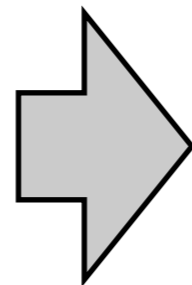
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$$\left(\frac{\partial P}{\partial T}\right) = \frac{\Delta S_r}{\Delta V_r}$$

This is the Clapeyron equation and its units are Pa / K

Clapeyron reaction slopes

$$\left(\frac{\partial P}{\partial T} \right) = \frac{\Delta S_r}{\Delta V_r}$$

The Clapeyron equation is very useful to find the slope of the reaction, but it does not tell you the position of the reaction in P-T space, nor what minerals reside on the high P or the high T side of the reaction

$$\Delta H_r \text{ sill} \rightarrow \text{ky} = -7.2 \text{ kJ mol}^{-1}$$

$$\Delta H_r \text{ and} \rightarrow \text{sill} = +2.9 \text{ kJ mol}^{-1}$$

$$\Delta H_r \text{ and} \rightarrow \text{ky} = -4.3 \text{ kJ mol}^{-1}$$

$$\Delta S_r \text{ sill} \rightarrow \text{ky} = -12 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta S_r \text{ and} \rightarrow \text{sill} = +2.8 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta S_r \text{ and} \rightarrow \text{ky} = -9.2 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta V_r \text{ sill} \rightarrow \text{ky} = -0.58 \text{ J bar}^{-1} \text{ mol}^{-1}$$

$$\Delta V_r \text{ and} \rightarrow \text{sill} = -0.16 \text{ J bar}^{-1} \text{ mol}^{-1}$$

$$\Delta V_r \text{ and} \rightarrow \text{ky} = -0.74 \text{ J bar}^{-1} \text{ mol}^{-1}$$

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$$dP/dT \text{ sill} \rightarrow \text{ky} = 20 \text{ bar K}^{-1}$$

$$dP/dT \text{ and} \rightarrow \text{sill} = -17.5 \text{ bar K}^{-1}$$

$$dP/dT \text{ and} \rightarrow \text{ky} = 12.4 \text{ bar K}^{-1}$$

$$\Delta V_r \text{ sill} \rightarrow \text{ky} = -0.58 \text{ J bar}^{-1} \text{ mol}^{-1}$$

$$\Delta V_r \text{ and} \rightarrow \text{sill} = -0.16 \text{ J bar}^{-1} \text{ mol}^{-1}$$

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